

Virtual Spherical Lights for Many-Light Rendering of Glossy Scenes

Miloš
Hašan

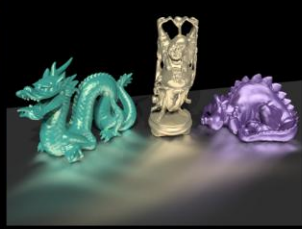
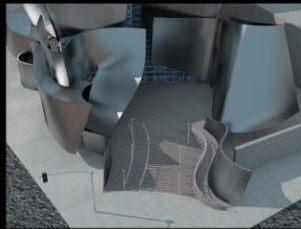
Jaroslav
Křivánek *

Bruce
Walter

Kavita
Bala

Cornell University

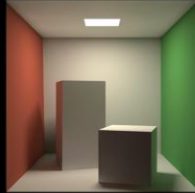
* Charles University in Prague



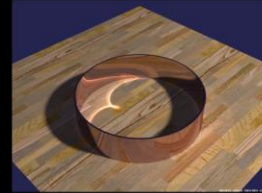
Global Illumination Effects



Soft shadows



Color bleeding



Caustics



Mirror reflection



Refraction



Glossy inter-reflection

Monte Carlo can handle them all... but is very slow

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We're dealing with a long standing problem of CG: computing global illumination efficiently. Depending on the scene properties, GI produces different illumination effects but we're specifically focusing on light inter-reflections on glossy surfaces. Monte Carlo methods, such as PT, are general enough to handle all these effects, but can take long time to converge, especially in the scenes that we're focusing on.

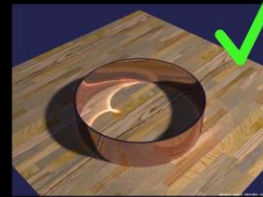
Faster algorithms exist...



Soft shadows



Color bleeding



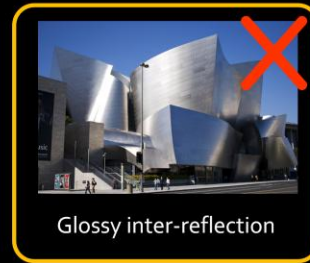
Caustics



Mirror reflection



Refraction



Glossy inter-reflection

But no satisfying solution for glossy inter-reflection

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Some fast specialized algorithms exist but there is no satisfying solution for glossy inter-reflections.

Glossy Inter-reflections



This is the kind of images that we would like to render. Indeed, their appearance is completely dominated by glossy inter-reflections.

Previous Work

- Unbiased methods
 - (Bidirectional) Path tracing
[Kajiya 1985, Lafortune et al. 1993]
 - Metropolis Light Transport
[Veach and Guibas 1997]
- Biased methods
 - Photon Mapping
[Jensen 2001]
 - Radiance caching
[Křivánek 2005]

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Unbiased GI methods converge slowly since they have hard times finding important paths when dealing with glossy scenes.

Photon mapping is the most well known example of an biased GI method. However, it does not perform very well in glossy scene either: huge number of photons is required and final gathering is a bottleneck.

Final gathering can be accelerated with interpolation-based approaches such as radiance caching, but their assumptions about illumination smoothness is often invalid.

Previous Work – Instant Radiosity

- Virtual Point Lights (VPLs)
- Very efficient in mostly diffuse scenes
 - Real-time global illumination
[Wald et al. 2002, Segovia et al. 2006, 2007, Laine et al. 2007, Ritschel et al. 2008, Dong et al. 2009]
- Scalability to many lights
[Walter et al. 2005, 2006, Hařan et al. 2007]

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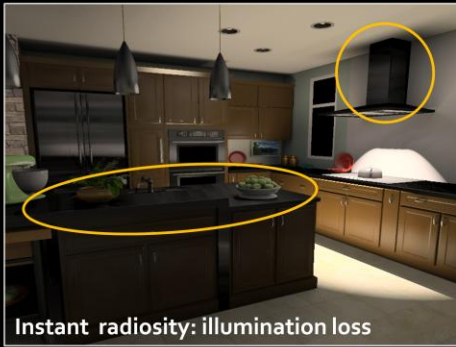
Instant radiosity is a GI method that has gained a lot of attention recently. The idea is to convert all the illumination into a set of VPLs. Since only a few VPLs are sufficient to get a believable approximation of GI, this algorithm has been the basis of many recent real-time GI methods.

On the other hand, with many VPLs, instant radiosity can produce very high quality images – that’s why some work has addressed the problem of scalability with many lights.

Due to it’s efficiency, we chose IR as the basis of our approach to the glossy inter-reflection problem.

Limitations of Instant Radiosity

- So far: ~~Instant radiosity & Glossy inter-reflections~~



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However, it has been a common knowledge that instant radiosity does not work well in glossy scenes. The reason is that in order to prevent image artifacts, instant radiosity completely ignores some complex parts of light transport, which results in serious illumination loss on glossy surfaces, as you can see on the range hood or the counter.

Previous Work on Compensation

- Compute the missing components by path tracing [Kollig and Keller 2004]



- Glossy scenes
 - As slow as path-tracing everything

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The illumination loss problem hasn't been extensively discussed in previous work with the exception of the paper by Kollig and Keller, who propose to compensate for the missing energy by path tracing. Unfortunately, in glossy scenes, their compensation method is nearly as expensive as path tracing the entire image.

Our Method

- New type of light: Virtual **Spherical** Light



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Our idea, on the other hand, is to prevent the illumination loss in the first place, rather than trying to compensate for it. We achieve this by introducing a new type of light, the VSL, that overcomes some of the problems of VPLs. With this new type of light, we are able to render images very similar to the reference yet in much shorter time.

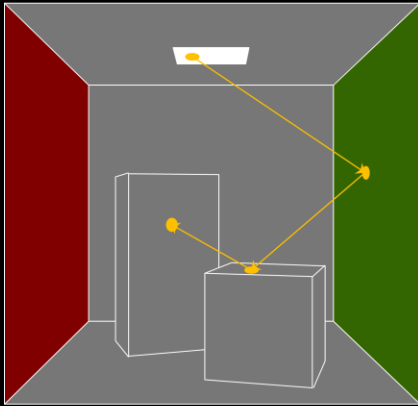
Outline

- Problems with Virtual Point Lights (VPLs)
- Our solution: Virtual Spherical Lights (VSLs)
- Implementation
- Results

Outline

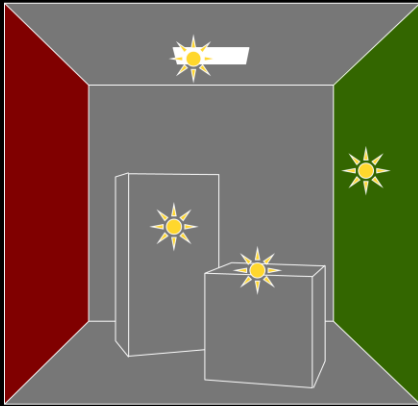
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Instant Radiosity



- **STEP 1**
 - Trace paths from the light

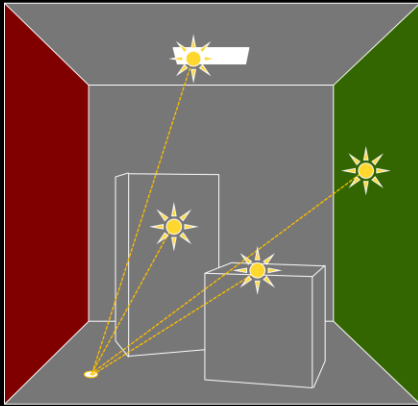
Instant Radiosity



- **STEP 1**

- Trace paths from the light
- Treat path vertices as **Virtual Point Lights (VPLs)**

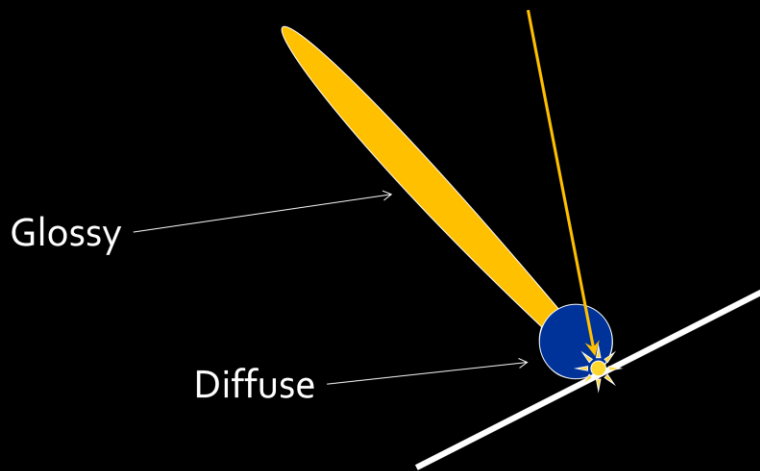
Instant Radiosity



- **STEP 1**
 - Trace paths from the light
 - Treat path vertices as Virtual Point Lights (VPLs)
- **STEP 2**
 - Render scene with VPLs

Emission Distribution of a VPL

- Cosine-weighted BRDF lobe at the VPL location



Glossy VPL Emission: Illumination Spikes



Common solution:

Only **diffuse** BRDF at light location

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If you render the scene with VPLs defined this way you will get an image with a lot of splotches. Each splotch corresponds to the spike in the emission distribution of a single VPL. For example, the streak on the ceiling is caused by a VPL located on a highly anisotropic glossy surface.

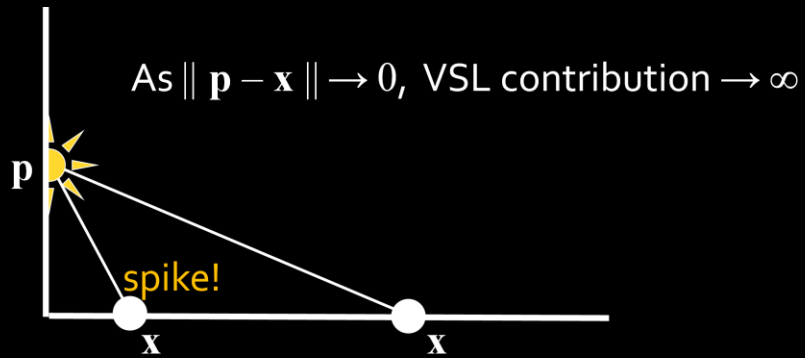
The common solution in instant radiosity is to ignore the glossy component of the BRDF at the light location which produces VPLs with very uniform emission distribution.

Remaining Spikes



Remaining Spikes

- VPL contribution =



- Common solution: **Clamp** VPL contributions

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Instant Radiosity: The Practical Version



Clamping and diffuse-only VPLs:

Illumination is lost!

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Comparison



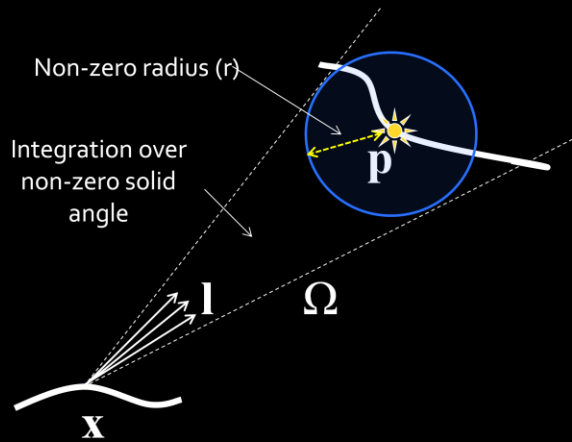
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Motivation

- VPLs: image splotches due to
 - Spikes in the VPL emission distribution
 - $1 / \| \mathbf{p} - \mathbf{x} \|$ term
- Idea
 - Spread VPL energy over a finite surface
 - Compute contribution as solid angle integral

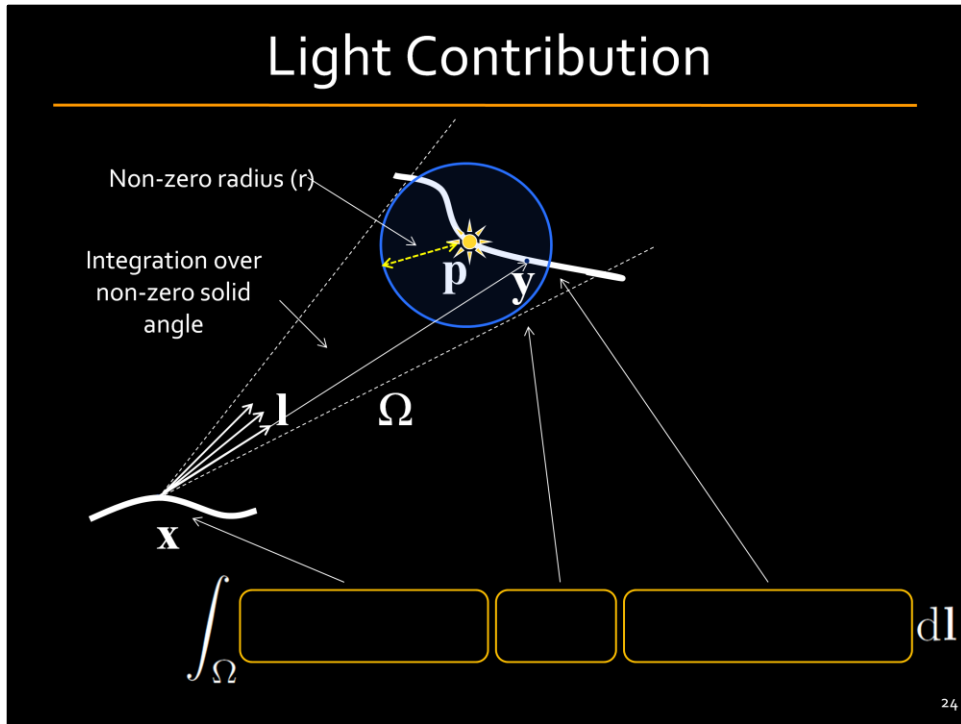
VPL to VSL



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More specifically, we will spread the light energy over the surfaces inside the sphere of radius r centered at the light position \mathbf{p} . And the contribution of the light will be computed as an integral over the solid angle subtended by the sphere.

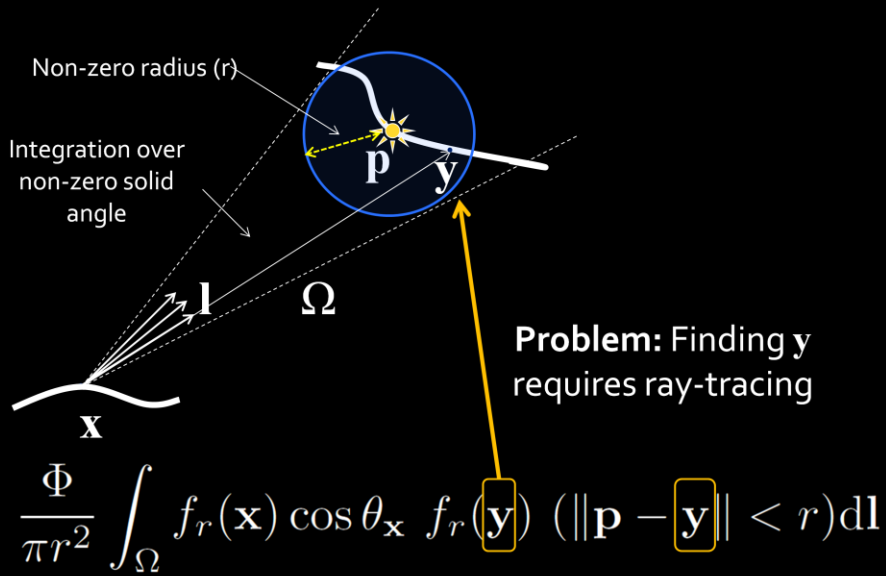
Light Contribution



Let's write down the formula for the contribution of such a light to the surface point x . We have the integration over the solid angle. The integrand is a product of the following terms: the cosine weighted BRDF at the surface, next, the BRDF at the point y in the vicinity of the light location. Finally, we have an indicator term that is zero for all the directions that correspond to surface point y outside the sphere. We normalize the integration by the expected surface area inside the sphere, $\pi \cdot r^2$, and multiply by the light flux.

To avoid this indicator term, we could define the light contribution as an integral over a disk area. Unfortunately, doing that re-introduces the infamous $1/\text{dist}^2$ term and produces bad results (we tried it).

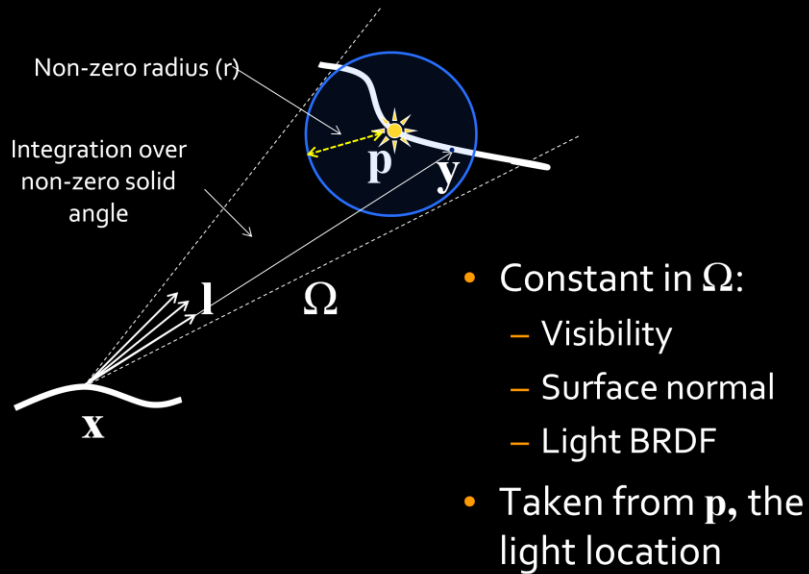
Light Contribution



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Unfortunately, this formulation requires finding the point \mathbf{y} for all directions \mathbf{l} inside the cone, which required ray tracing. This is clearly not feasible.

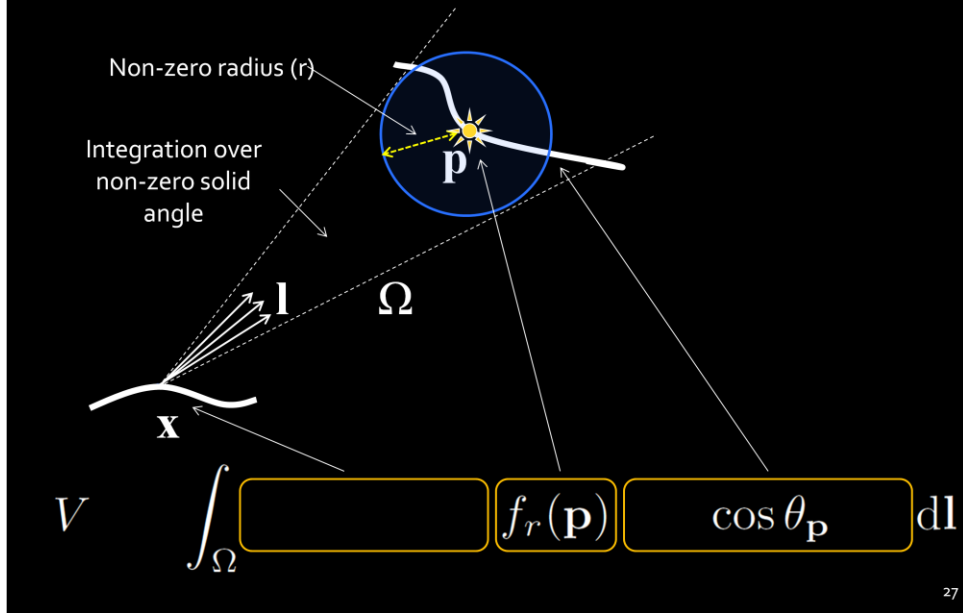
Simplifying Assumptions



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To produce a computationally convenient approximation to the previous formula, we make the following simplifying assumptions. We assume that the visibility, the surface normal and the BRDF are constant inside the sphere. And we take them from the light location \mathbf{p} .

Light Contribution Updated



With these assumptions, we can write a formula for the contribution of a VSL:

Virtual Spherical Light

- All inputs taken from \mathbf{x} and \mathbf{p}
 - Local computation
- Same interface as any other light
 - Can be implemented in a GPU shader
- Visibility factored from the integration
 - Can use shadow maps

$$V \frac{\Phi}{\pi r^2} \int_{\Omega} f_r(\mathbf{x}) \cos \theta_{\mathbf{x}} f_r(\mathbf{p}) \cos \theta_{\mathbf{p}} d\mathbf{l}$$

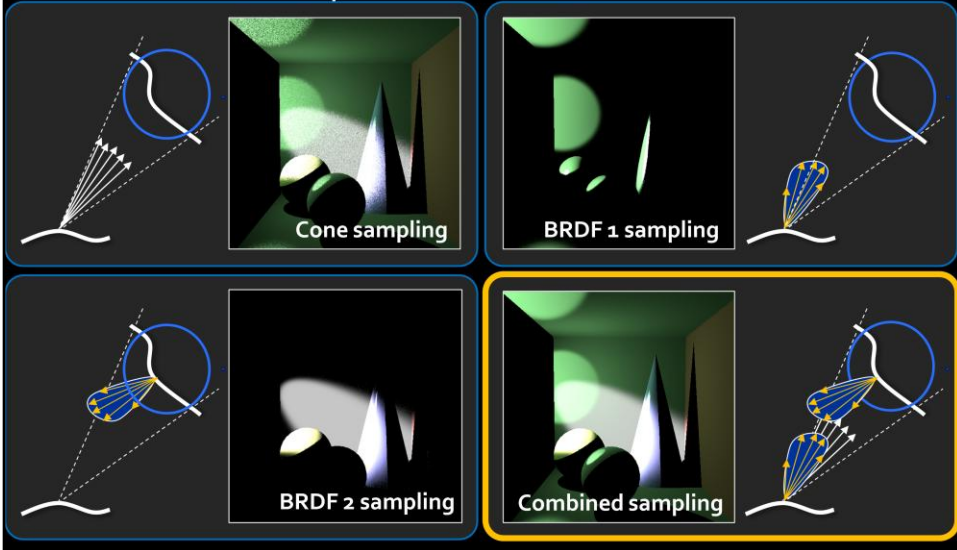
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Computing the VSL integral

- Monte Carlo quadrature



Implementation

- Matrix row-column sampling [Hašan et al. 2007]
 - Shadow mapping for visibility
 - VSL integral evaluated in a GPU shader
- Need more lights than in diffuse scenes
- VSL radius proportional to local VSL density
 - determined by k-NN queries

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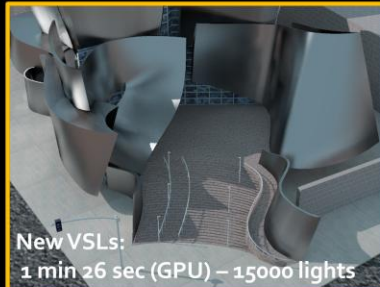
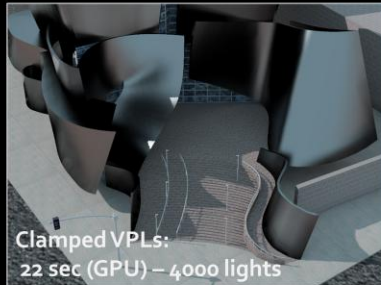
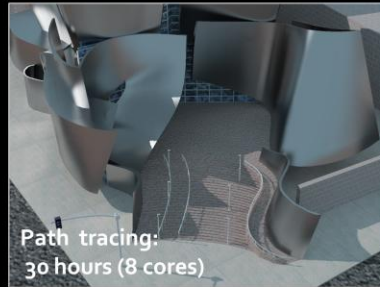
Results: Kitchen

- Most of the scene lit indirectly
- Many materials glossy and anisotropic



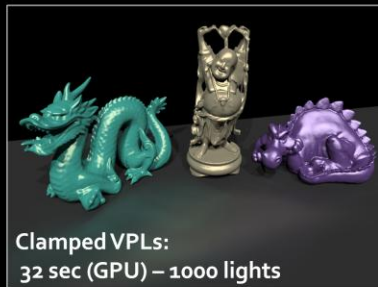
Results: Disney Concert Hall

- Curved walls with no diffuse component
- Standard VPLs cannot capture any reflection from walls

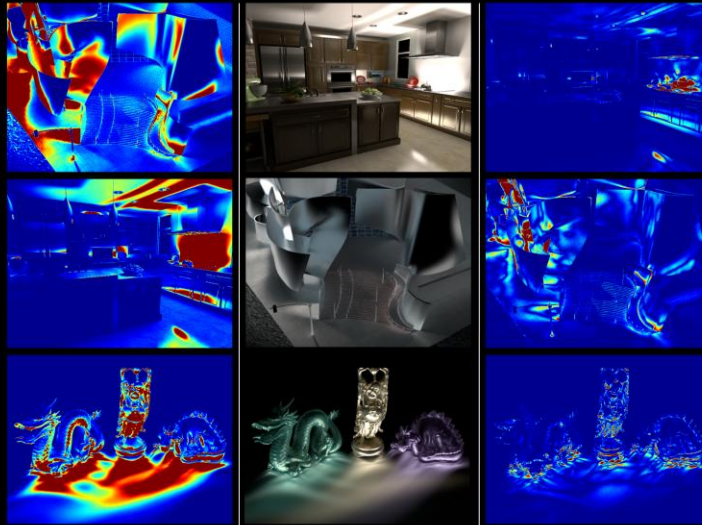


Results: Anisotropic Tableau

- Difficult case
- Standard VPLs capture almost no indirect illumination



Error Images (Indirect Only)



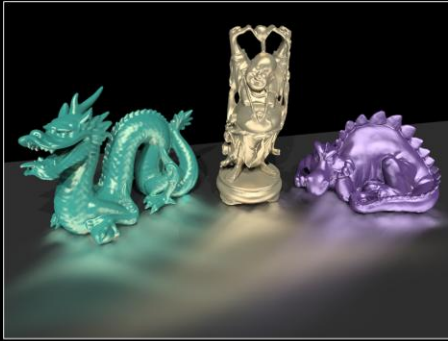
VPL error
(previous work)

Ground truth

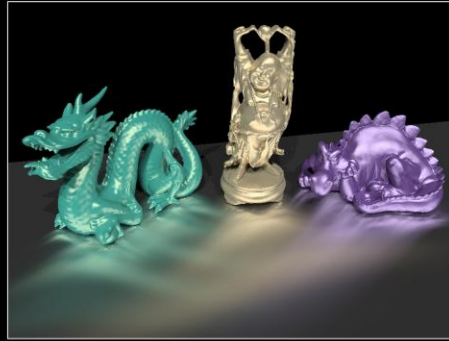
VSL error
(our method)

Limitations: Blurring

- VSLs can blur illumination
- Converges as number of lights increases



5,000 lights - blurred



1,000,000 lights - converged

Other Limitations

- Some remaining corner darkening
- Computation overhead

Conclusion

- Virtual Spherical Lights
 - No spikes, no clamping necessary
 - Address illumination loss
- Many-light methods + VSLs:
 - A step to solve the glossy inter-reflection problem
- Future Work
 - More lights: improve scalability

The Problem, Numerically

- Recall: Integration over paths, use Monte Carlo

$$\int_{\Omega} f_j(\bar{x}) d\mu(\bar{x}) \approx \frac{1}{N} \sum_{i=1}^N \frac{f(x_i)}{p(x_i)}$$

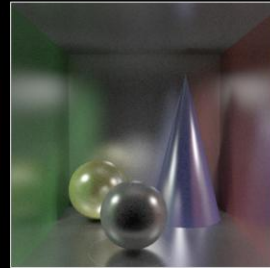
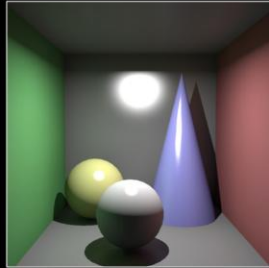
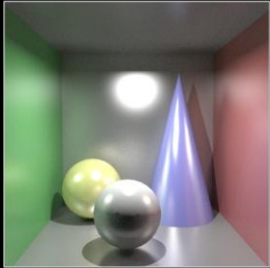
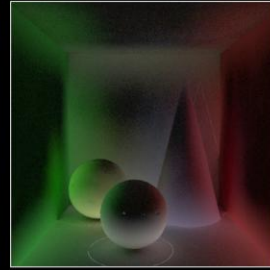
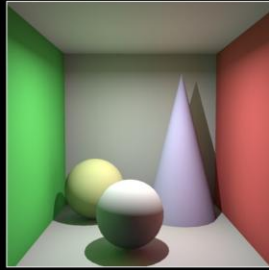
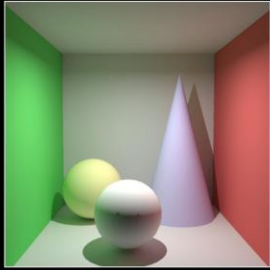
- The contribution $f(x_i)$ contains:
 - Inverse distance-squared term
 - Material term at surface location
 - Material term at VPL location
- What if $f(x_i)$ becomes locally large?
 - “Spikes”

The Problem Revision

Path tracer

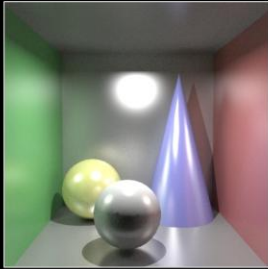
Instant radiosity

Difference image

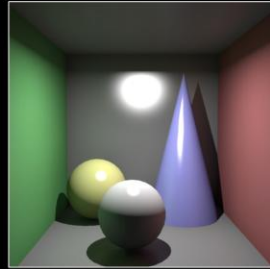


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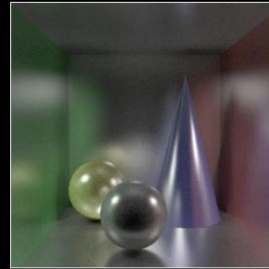
Another Example



Path tracer

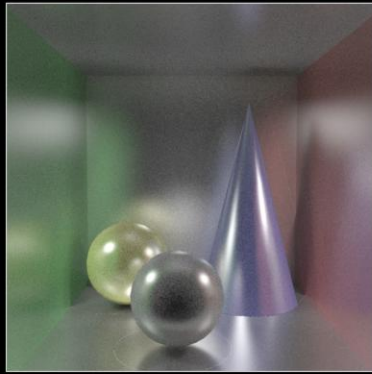


Instant radiosity



Difference image

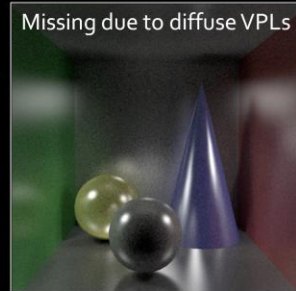
The Missing Components



Missing energy



Missing due to clamping



Missing due to diffuse VPLs